Introductory Astronomy

Week 7: Galaxies Clip 12: Hubble Red Shift



Distance Measures

- Distances to nearby galaxies measured with Cepheids to 10⁷ pc
- Tully-Fisher relation for spirals relates rotation to luminosity and type
- Fundamental Plane for ellipticals relates luminosity to size and velocity dispersion
- Allows galaxies to be used as standard candles for distance measurement



What Hubble Found

- Spectra of galaxies show Doppler shift reflecting radial motion relative to Sun
- Distant galaxies show redshift increasing with distance

$$\frac{\lambda}{\lambda_0} = \sqrt{\frac{1 + v/c}{1 - v/c}} \sim 1 + v/c$$



Hubble Constant



Duke

Cosmic Expansion

- Isotropic recession means we are in center?
- Expanding Universe: All distances grow
- Every observer finds all others recede

 $D(t) = D(t_0) (1 + H_0(t - t_0))$

- Hubble Flow superposed on peculiar motion
- Valid for unbound objects





Big Bang

• $D(t) = D(t_0) (1 + H_0(t - t_0))$ means D(t) = 0 for $t = t_0 - H_0^{-1}$ $H_0^{-1} = 0.01h^{-1}\frac{1 \text{ Mpc}}{\text{km/s}}$ $= 0.01h^{-1} \cdot 206265 \cdot 1.49598 \times 10^{17} \text{ s}$ $= 3.1h^{-1} \times 10^{17} \text{ s} = 9.8h^{-1} \text{ Gy} = 13.8 \text{ Gy}$



Space and Time

- Redshift z determines distance $D = zc/H_0$
- Also determines lookback time

$$t_{em} = t_0 - D/c = t_0 - zH_0^{-1}$$

- Note $\frac{\lambda_{em}}{\lambda_{abs}} = (1+z)^{-1} \sim 1 - z = 1 + H_0(t_{em} - t_0) = \frac{D(t_{em})}{D(t_0)}$
- Redshift can be thought of as cosmological



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Credits

- Hubble Expansion Data: E. Hubble, PNAS March 15, 1929 vol. 15 no. 3 168-173 <u>http://www.pnas.org/content/15/3/168.full.pdf</u> <u>+html</u> NASA/GSFC <u>http://cosmictimes.gsfc.nasa.gov/teachers/</u> <u>guide/1929/guide/universe_expanding.html</u>
- Expansion Animation: NASA/SNAP
 <u>http://snap.lbl.gov/multimedia/animations/</u>

